

Lecture - 7

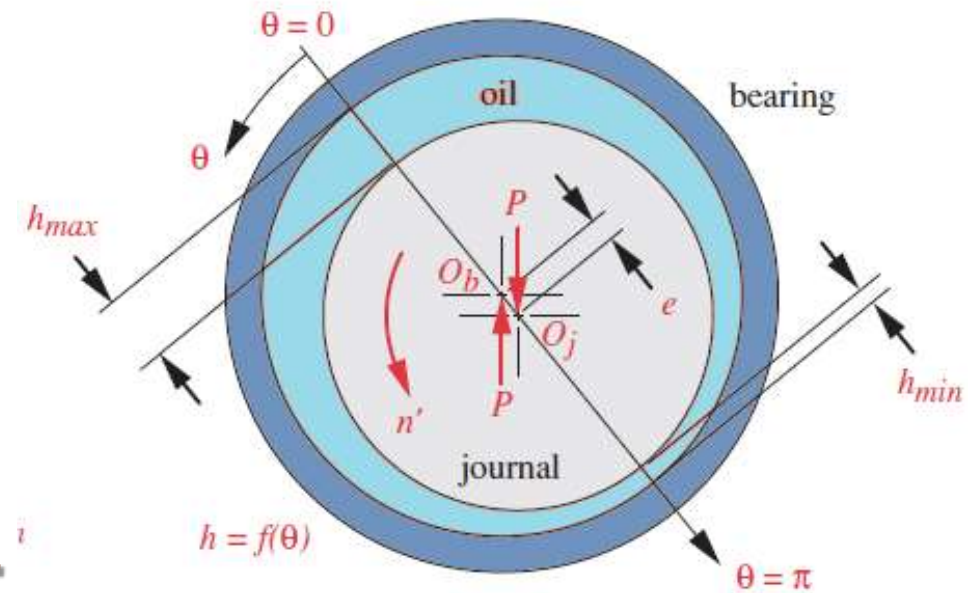
Hydrodynamic Lubrication

By
Prof. M. Naushad Alam

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MACHINE DESIGN II
MEC 3110

MECHANICAL ENGINEERING DEPT.
A.M.U. ALIGARH



DESIGN CHARTS FOR HYDRODYNAMIC BEARINGS

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- Raimondi and Boyd charts are **plots of *dimensionless bearing parameters*** as functions of *the dimensionless bearing characteristic number*, or Sommerfeld variable, S .
- Raimondi and Boyd charts apply to partial bearings (which extend around only 60° , 120° , or 180° of the journal circumference) and to thrust bearings.

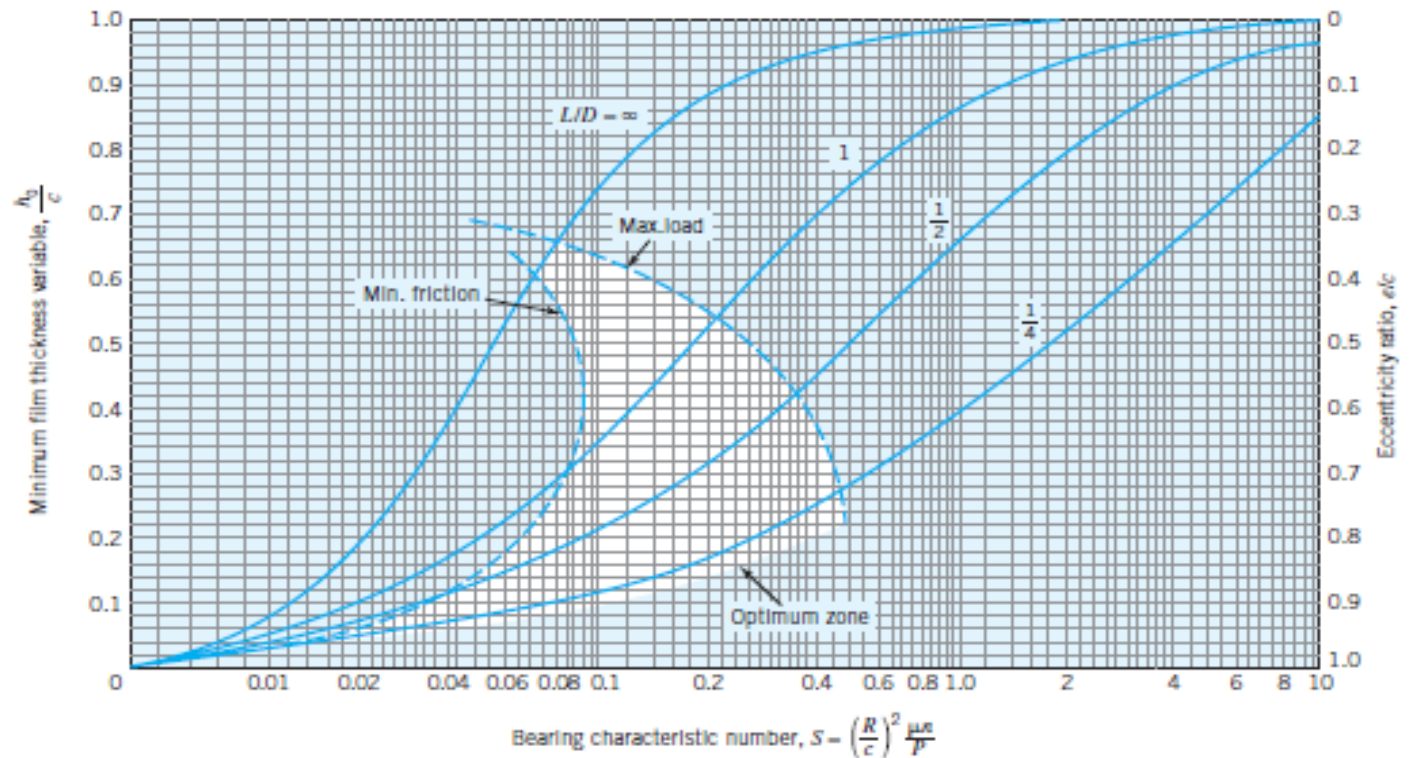
$$\text{Bearing characteristic number, } S = \left(\frac{R}{c} \right)^2 \frac{\mu n}{P}$$

The S scale on the charts is logarithmic except for a linear portion between 0 and 0.01.

Raimondi and Boyd charts

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- **Raimondi** and **Boyd** have obtained computerized solutions for *Reynolds equation*, and reduced them to chart form.
- These charts provide accurate solutions for bearings of all proportions.
- Selected charts are shown in the Figures.



Problem

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- A journal of a stationary oil engine is 80 mm in diameter. and 40 mm long. The radial clearance is 0.060mm. It supports a load of 9 kN when the shaft is rotating at 3600 rpm. The bearing is lubricated with SAE 40oil supplied at atmospheric pressure and average operating temperature is about 65oC. Using Raimondi- Boyd charts analyze the bearing **Data:** $d = 80 \text{ mm}$; $l = 40 \text{ mm}$; $c = 0.06 \text{ mm}$; $F = 9\text{kN}$;
- **Data Given:**
 - $n = 3600\text{rpm} = 60 \text{ rps}$;
 - SAE 40 oil;
 - $T_o = 65\text{oC}$;
 - Assuming that it is working under steady state condition.

Solution

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Analysis:

1. $p = F / ld$
 $= 9 \times 1000 / 40 \times 80 = 2.813 \text{ MPa}$
2. $\mu = 30 \text{ cP}$ at 65°C for SAE 40 oil from Fig. 2.3a.

3.
$$S = \left(\frac{r}{c} \right)^2 \left(\frac{\mu n}{p} \right)$$
$$= \left(\frac{40}{0.06} \right)^2 \left(\frac{30 \times 10^{-3} \times 60}{2.813 \times 10^6} \right) = 0.284$$

4. For $S = 0.284$ and $l/d = 1/2$,

$$h_o/c = 0.38$$

For $\varepsilon = e/c = 0.62$ from Fig.6.

$$h_o = 0.38 \times c$$

$$= 0.38 \times 0.06$$

$$= 0.023 \text{ mm} = 23 \mu\text{m}$$

$$e = 0.62 \times c$$

$$= 0.62 \times 0.06 = 0.037 \text{ mm}$$

5. $(r / c) f = 7.5$,
for $S = 0.284$ and $l / d = \frac{1}{2}$ from Fig.2.11a.
 $f = 7.5 \times (c / r) = 7.5 \times (0.06/40) = 0.0113$
6. $\Phi = 460$, for $S = 0.284$ for $l / d = \frac{1}{2}$ from Fig.2.9a.
7. $(Q / r c n l) = 4.9$, for $S = 0.284$ for $l / d = \frac{1}{2}$ from Fig.2.12a.
 $Q = 4.9 r c n l = 4.9 \times 0.04 \times 0.00006 \times 60 \times 0.04$
 $= 2.82 \times 10^{-5} \text{ m}^3/\text{s}$
 $= 28.2 \text{ cm}^3 / \text{s}$

8. $(Q_s / Q) = 0.75$, for $S = 0.284$ for $l / d = \frac{1}{2}$ from Fig.2.13a.

$$Q_s = 0.75 Q = 0.75 \times 28.2 = 21.2 \text{ cm}^3 / \text{s}$$

9. $(p / p_{\text{max}}) = 0.36$, for $S = 0.284$ for $l / d = \frac{1}{2}$ from Fig.2.14a.

$$p_{\text{max}} = p / 0.36 = 2.813 / 0.36 = 7.8 \text{ MPa}$$

10. $\theta_{\text{pox}} = 61.5^\circ$ and $\theta_{\text{puma}} = 17.5^\circ$, for $S = 0.284$ for $l / d = \frac{1}{2}$ from Fig.2.15a.

. Temp-Viscosity Chart

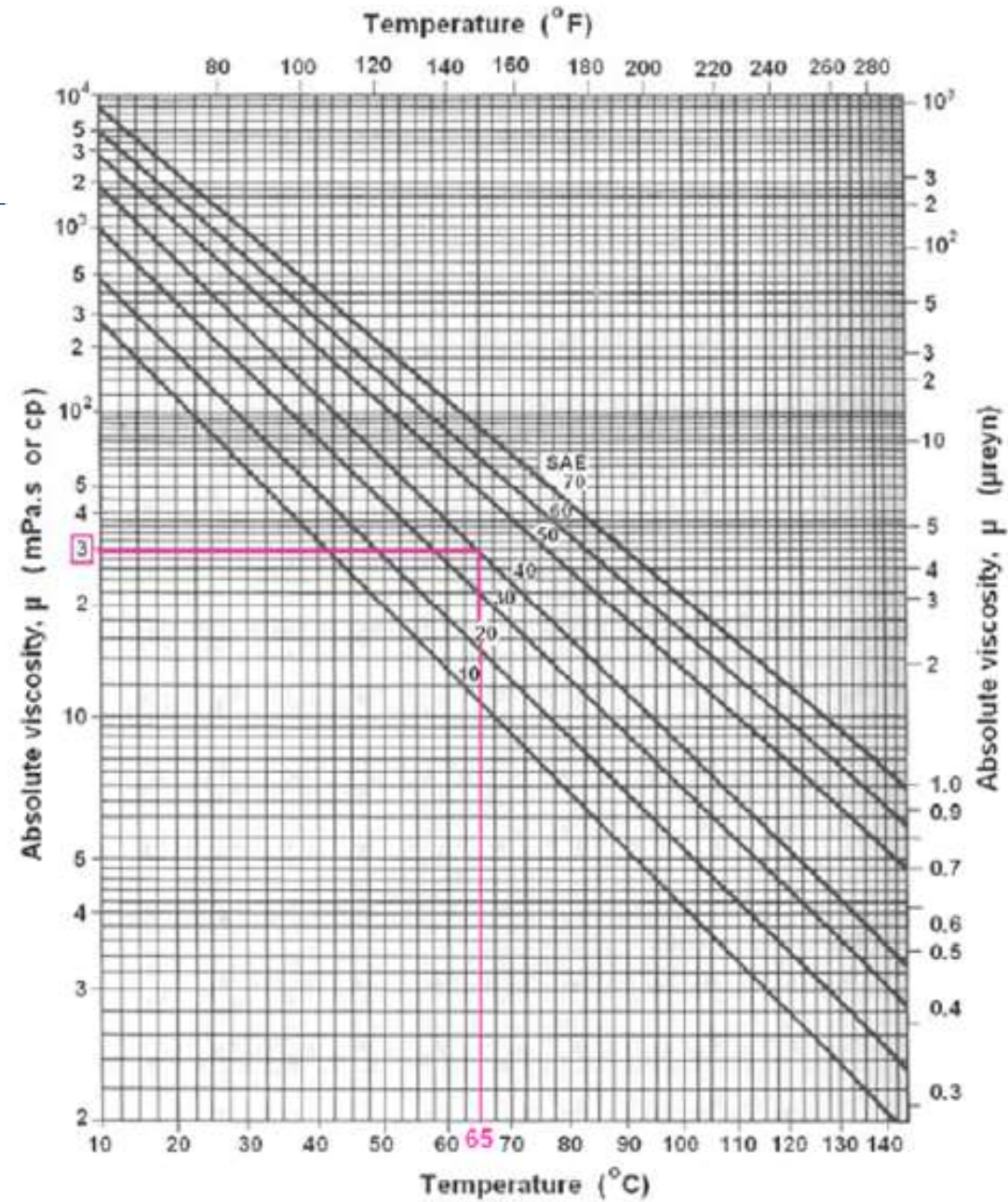
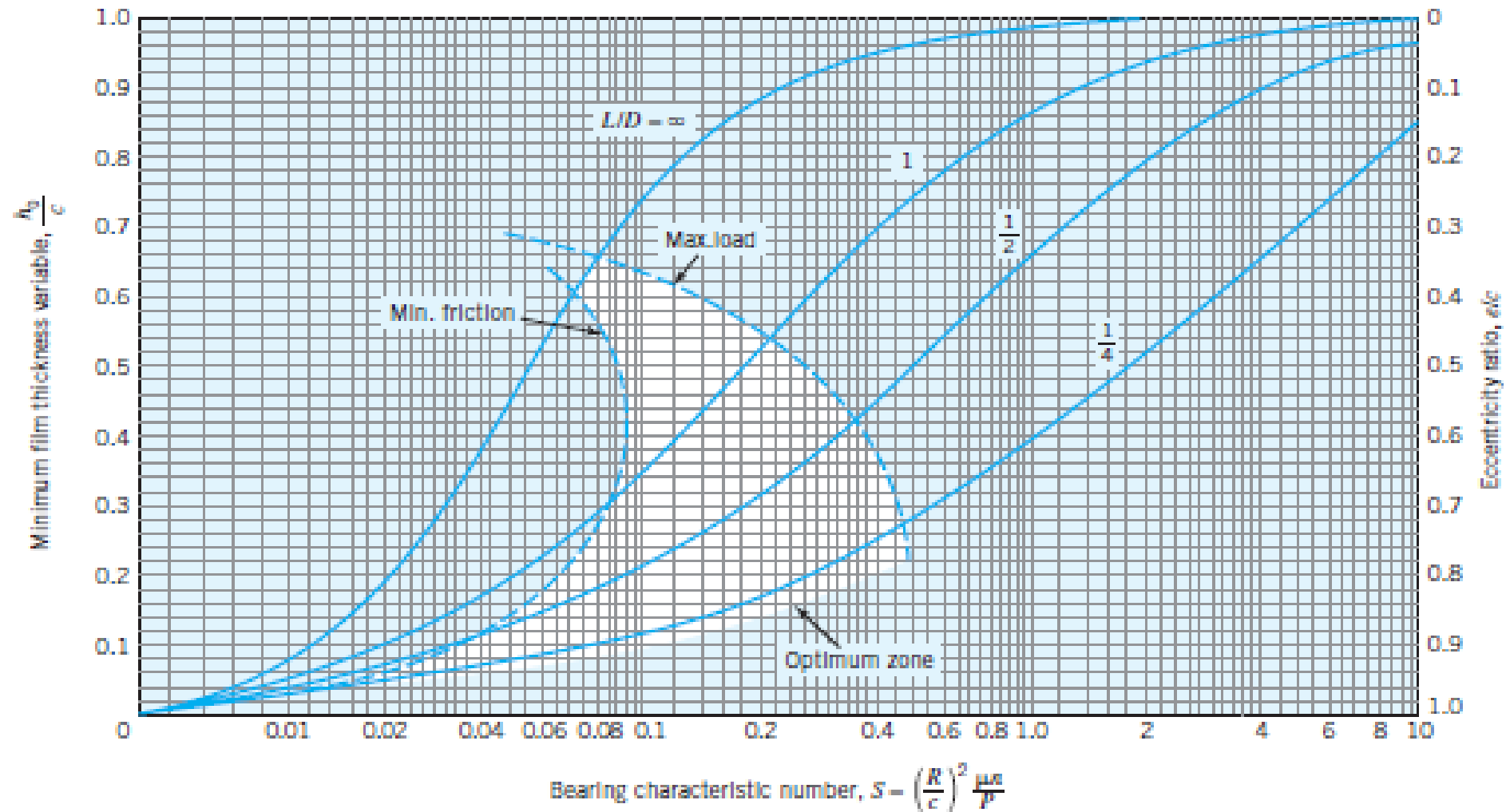


Chart for minimum-film-thickness variable

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Coefficient of Friction

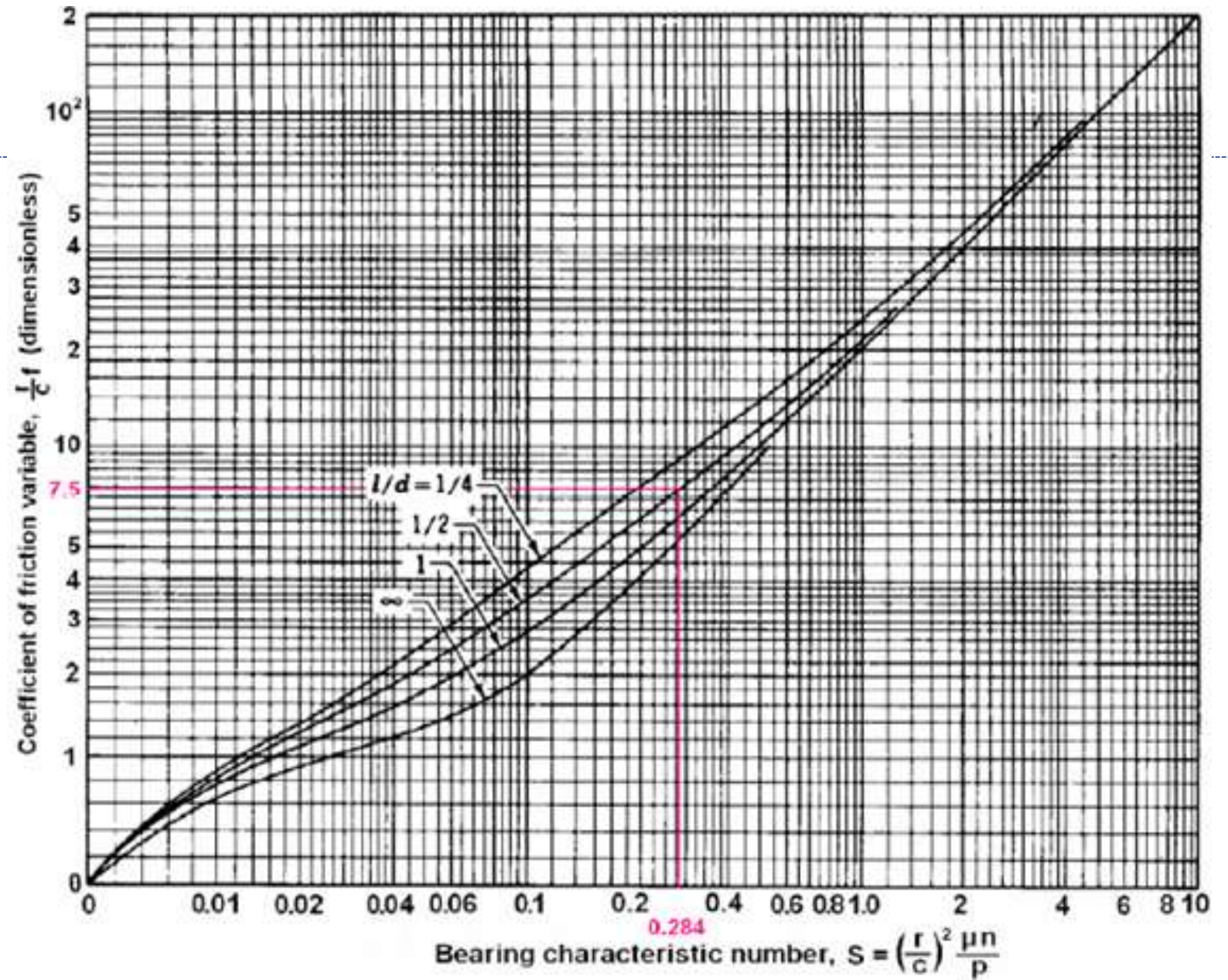


Chart for the position of minimum film thickness *ho*

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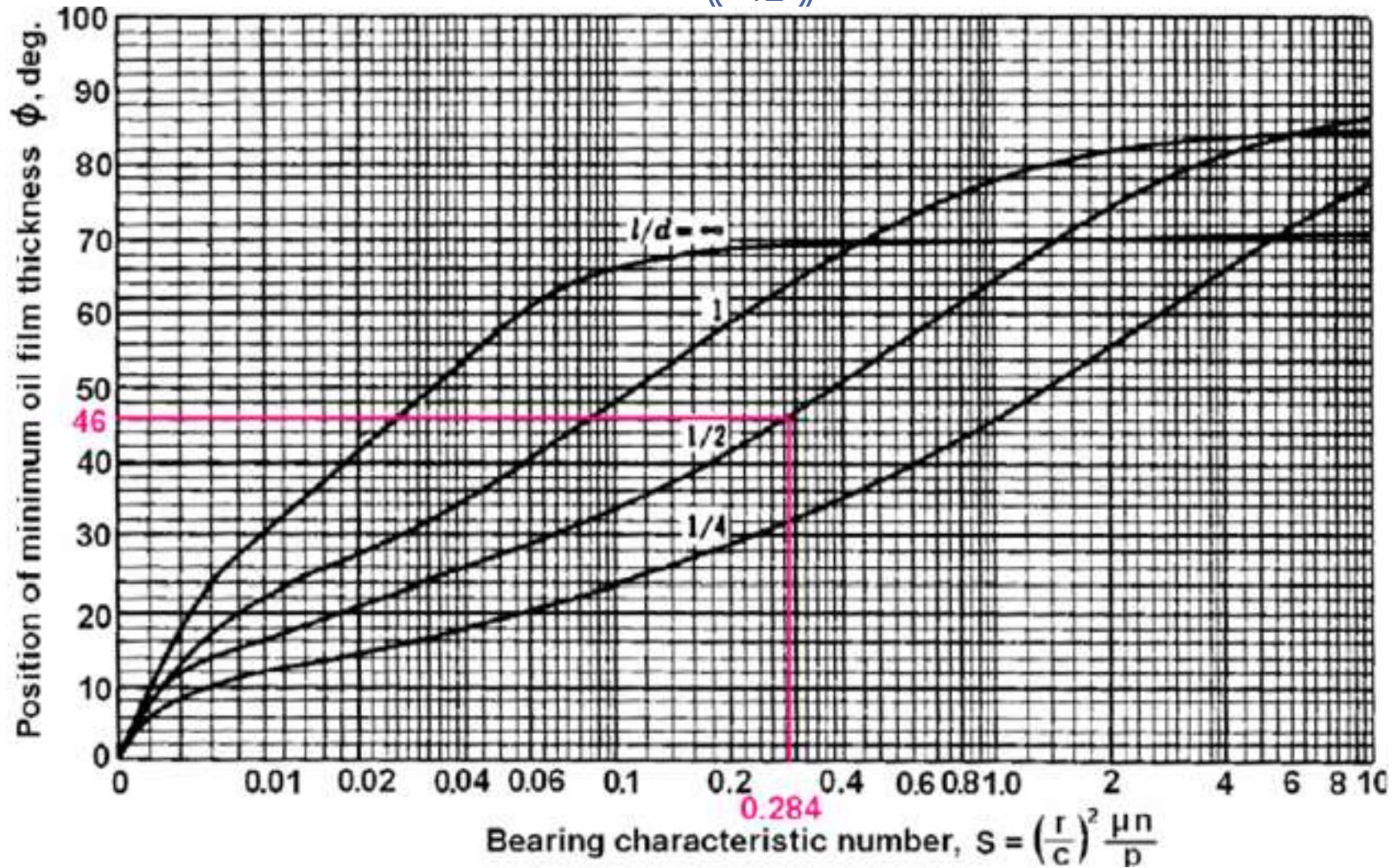


Chart for coefficient-of friction variable

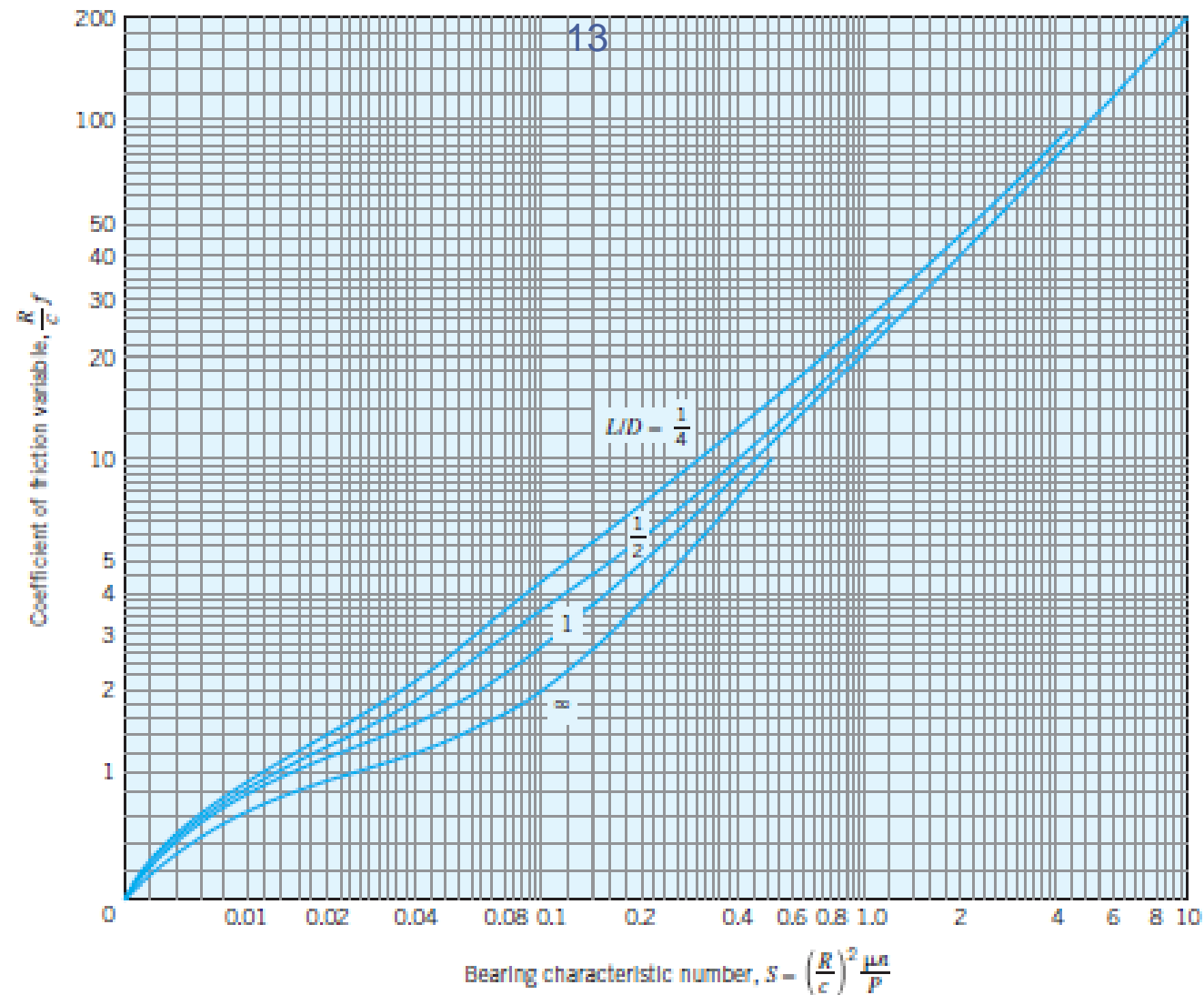


Chart for determining maximum film pressure

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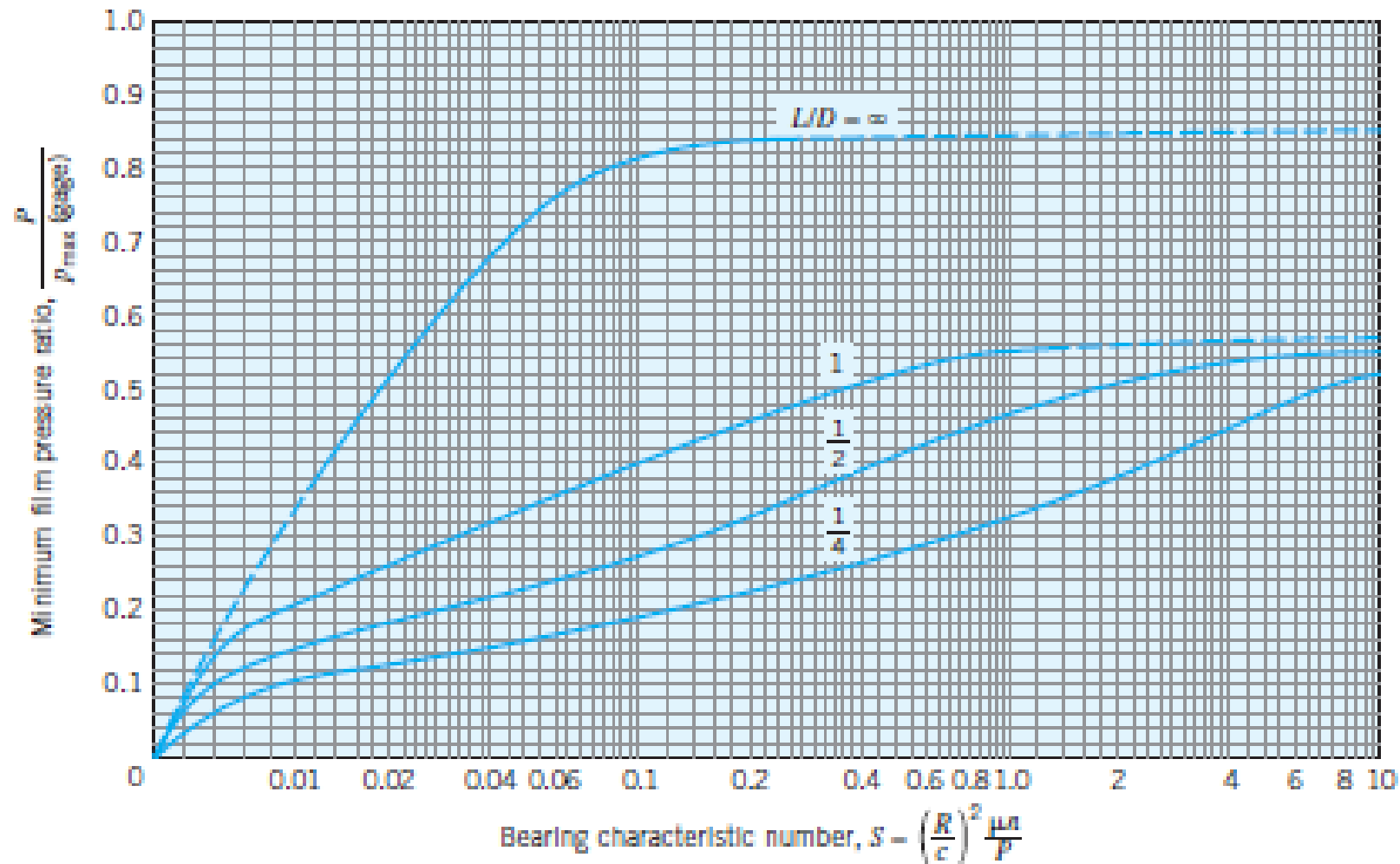


Chart for determining the position of the minimum film thickness h_0

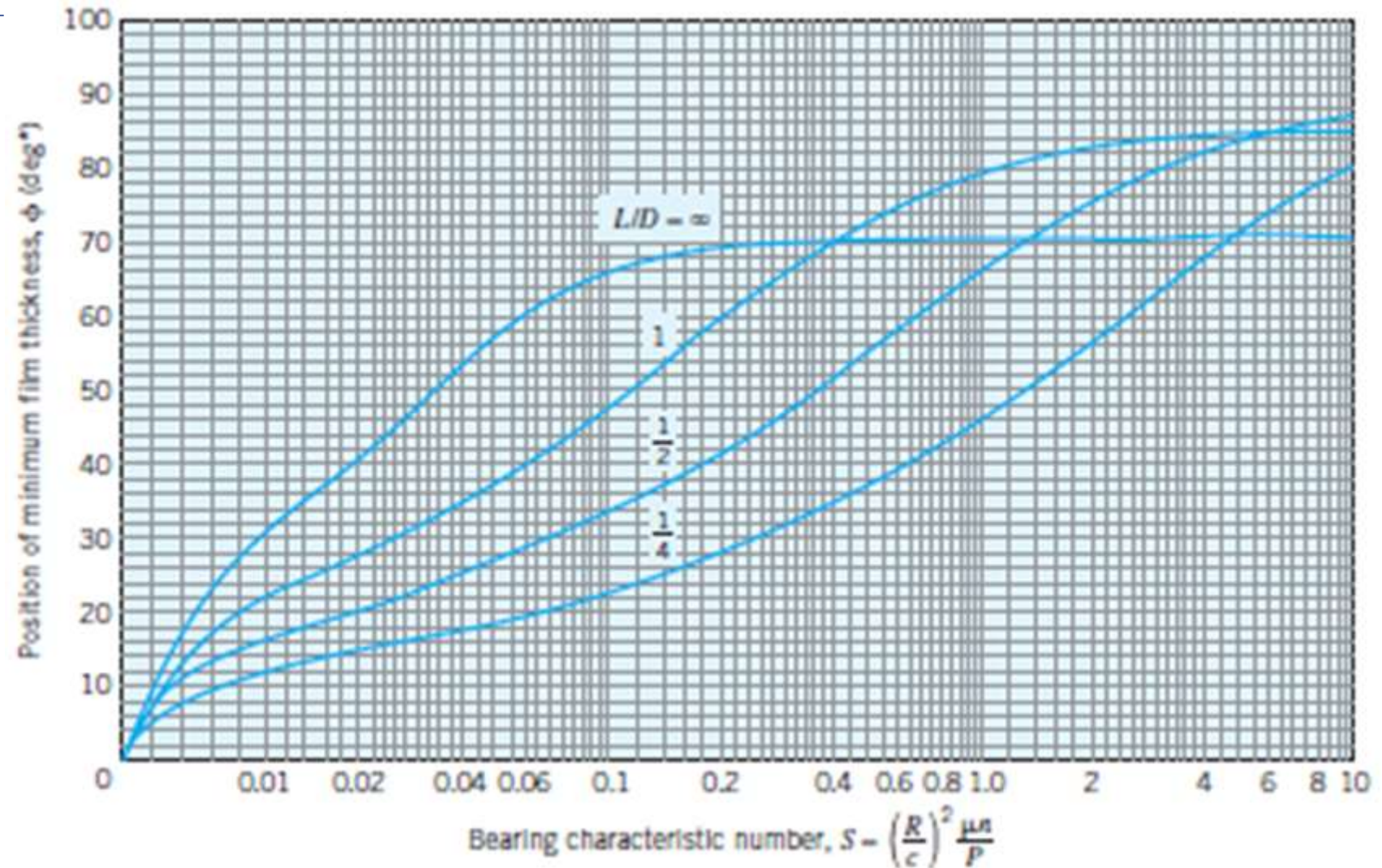


Chart for positions of maximum film pressure and film termination

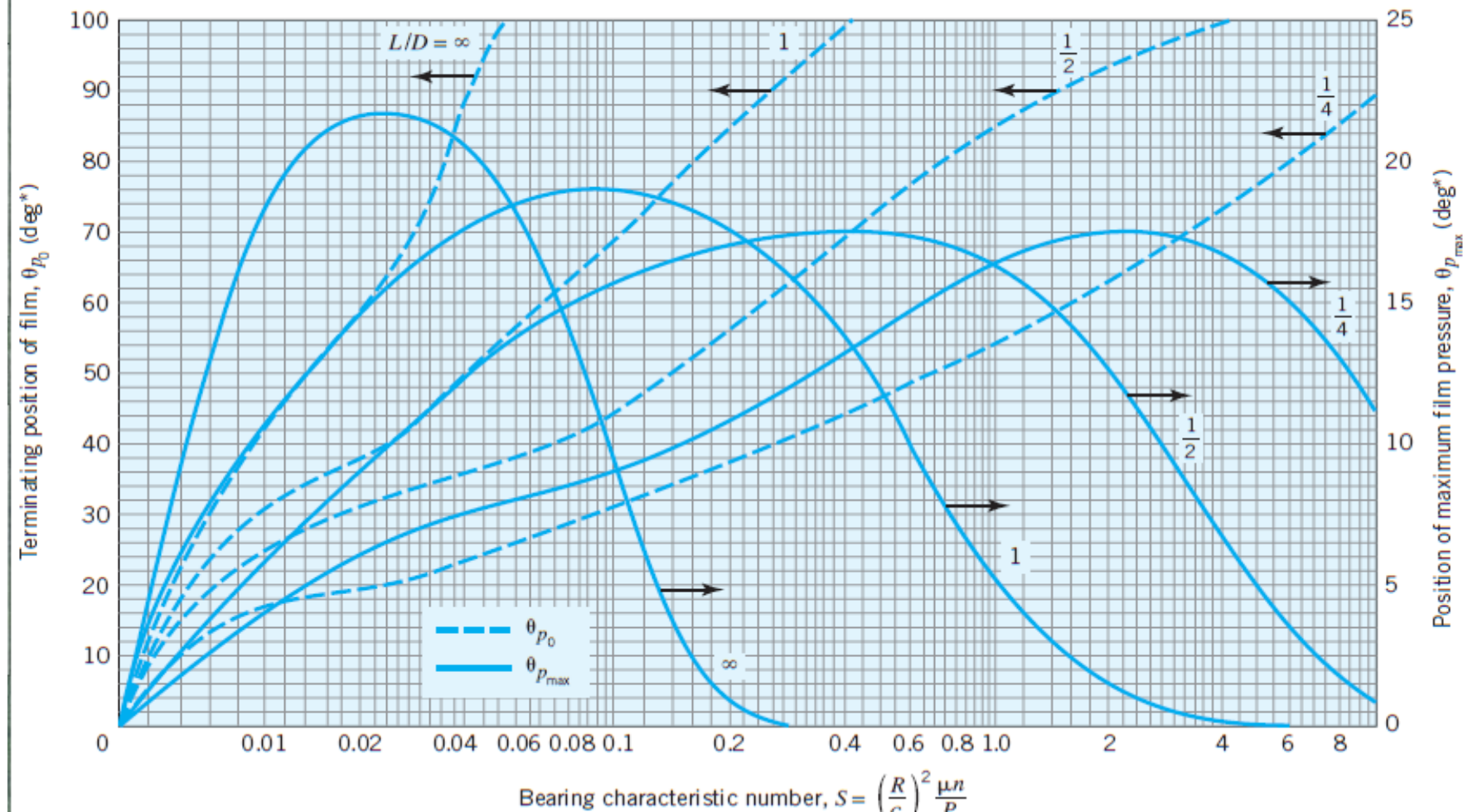


Chart for flow variable

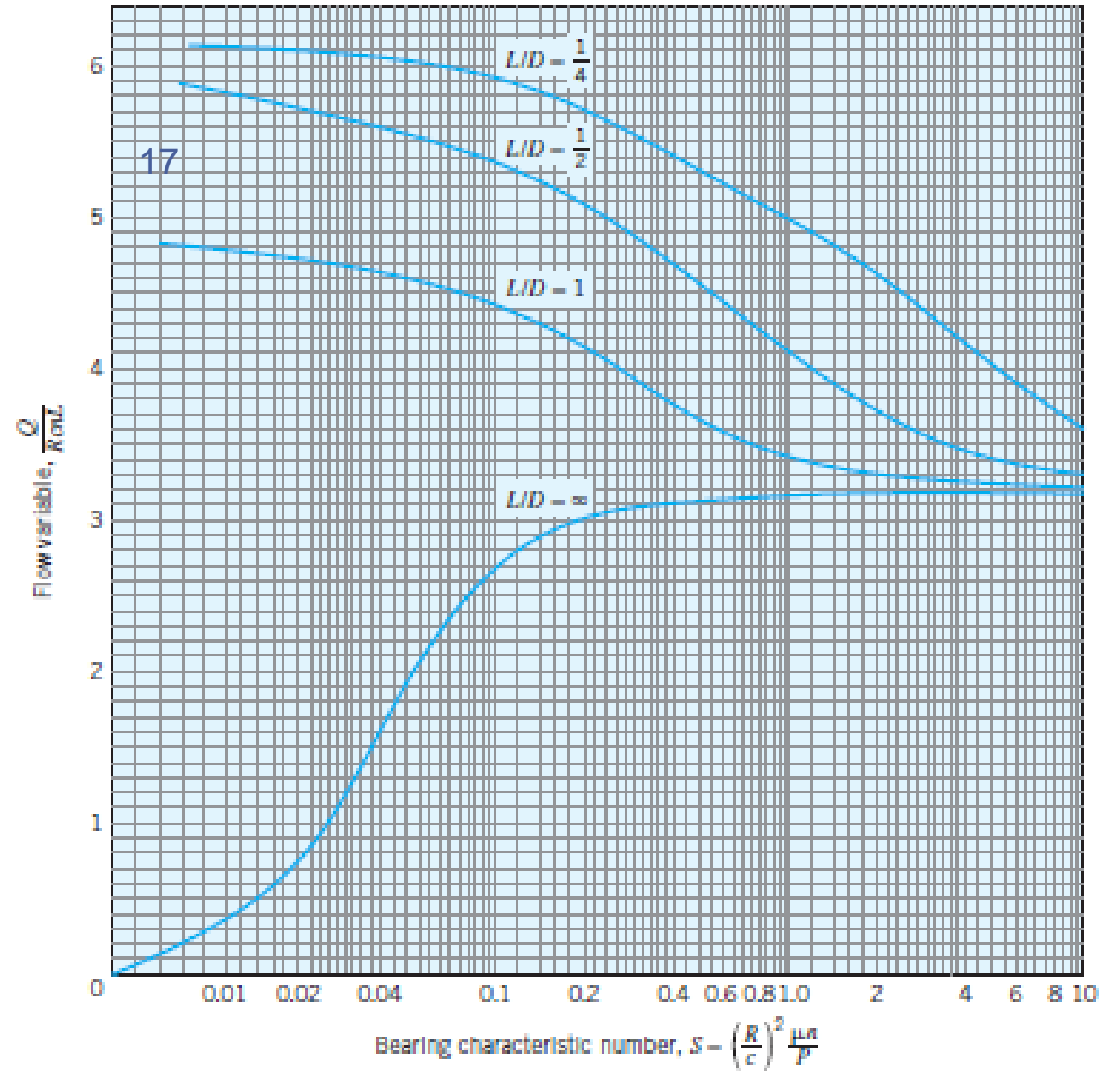


Chart for the ratio of side flow to total flow

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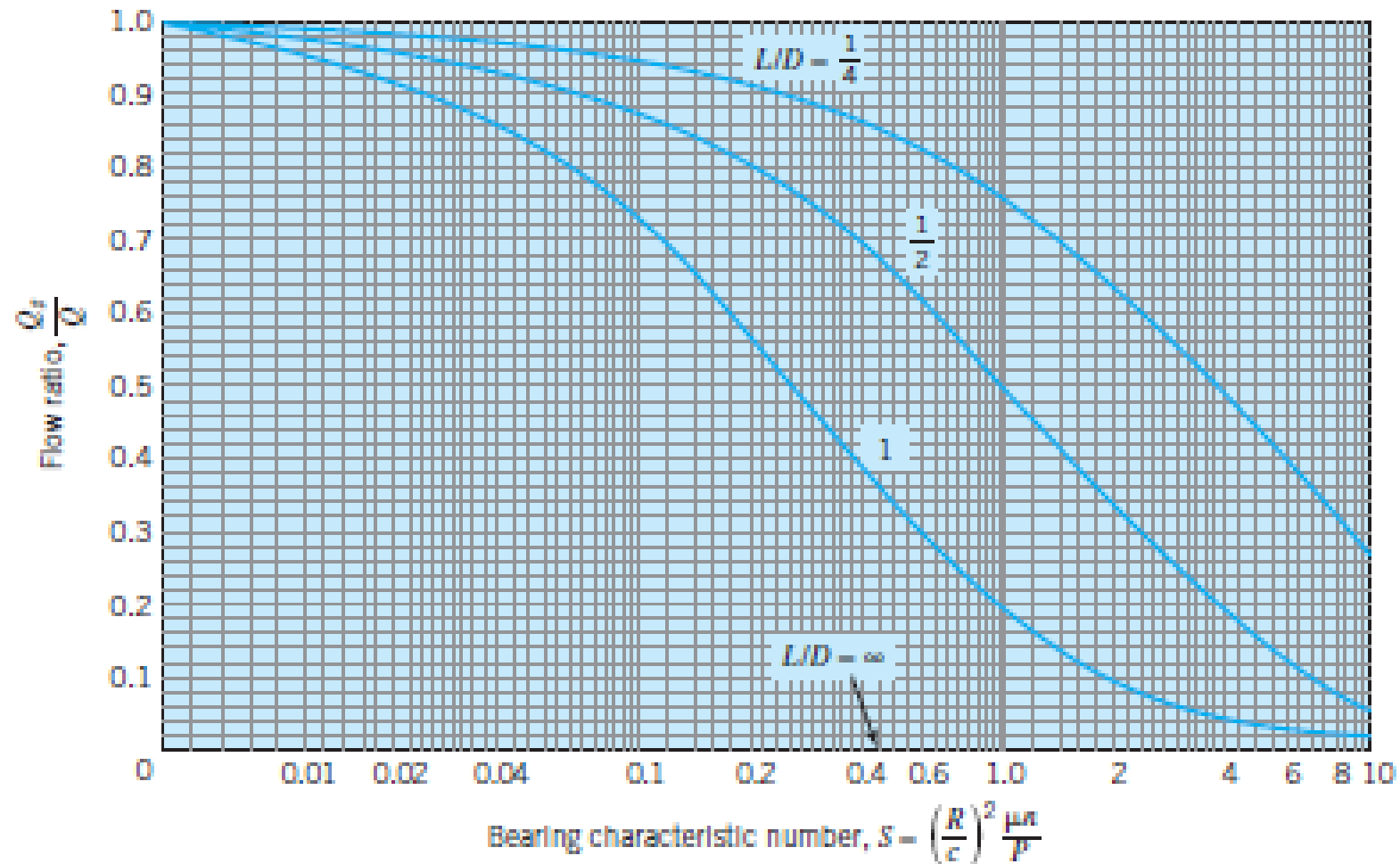
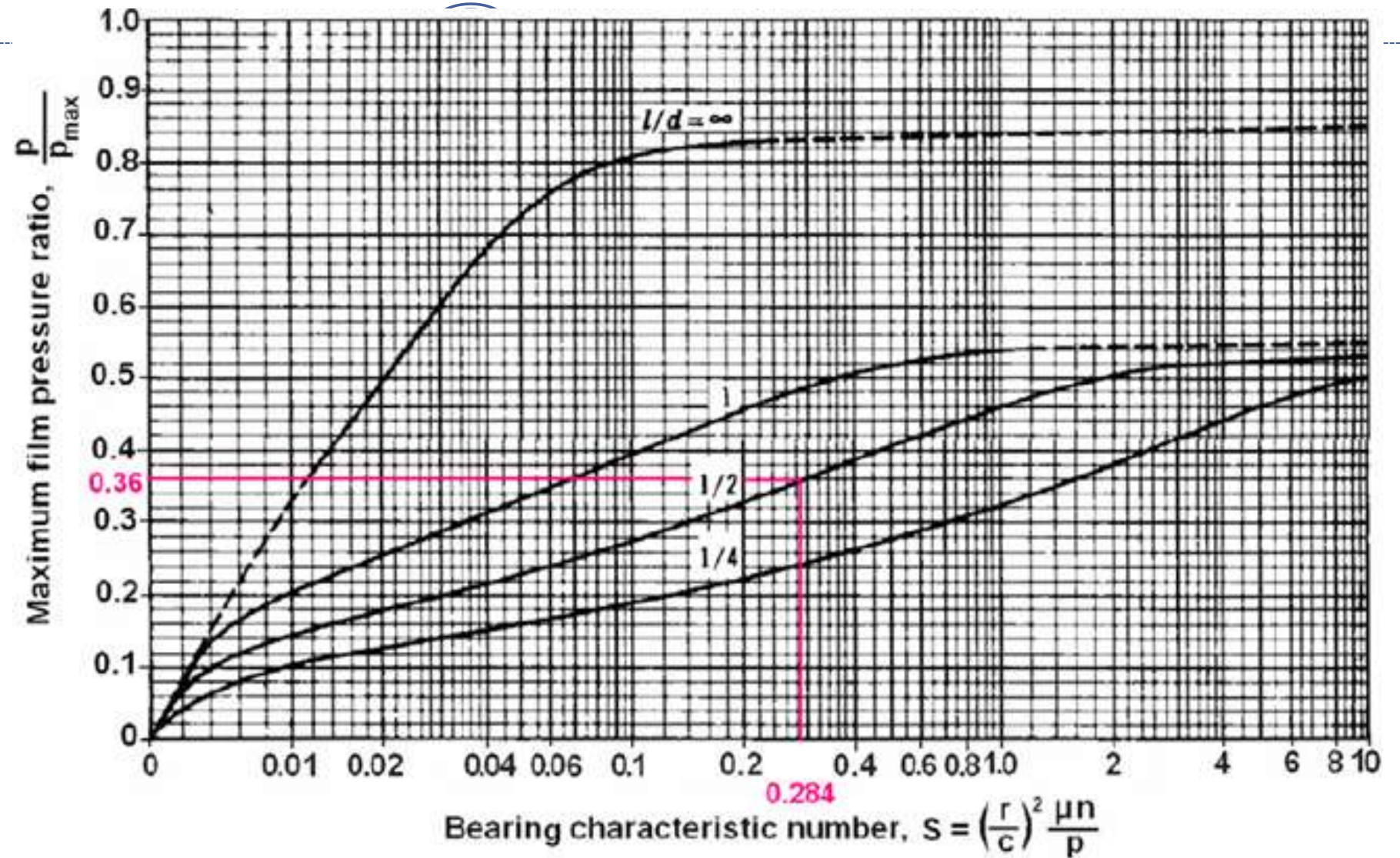
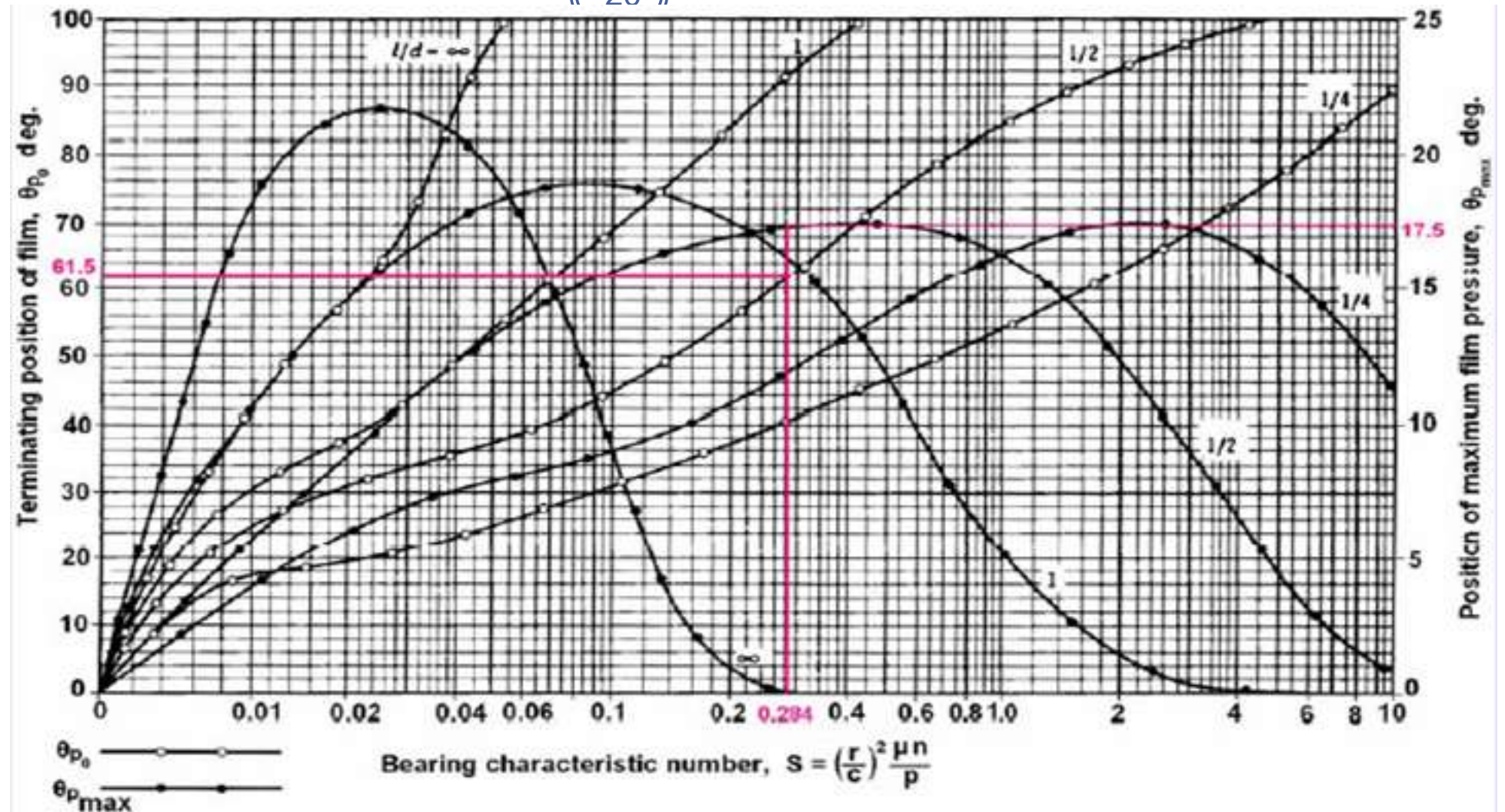


Chart for maximum film pressure



Terminating position of oil film and position of maximum film pressure

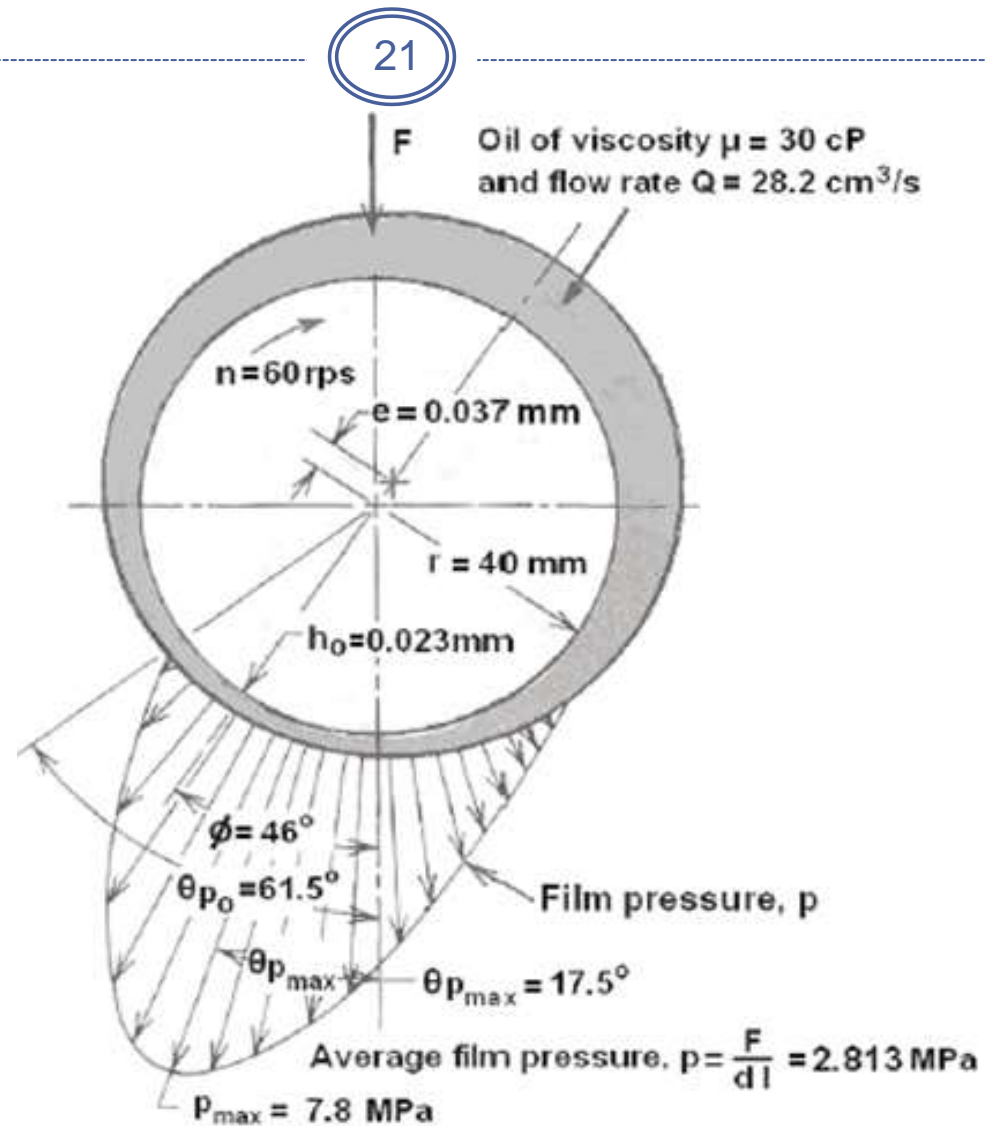
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• Fig – 15(a)

Stable hydrodynamic Lubrication Diagram

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• Fig – 10(a)

End of Lecture

Any Questions?

INTERACTION IS HIGHLY ENCOURAGED